

Wat is het coronavirus? | 14/04/2020

TIGRINYA | Vertaald uit het Nederlands

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• $\hat{E} \ \tilde{N} \ HU \% \varphi \int \ \dot{\div} \cdot \ 8 \ \dagger \ 0 \ \acute{B} \acute{e} \ \mu(\ \check{S} ?$

$\hat{E} \sqrt{\cdot} \ P \} \ \int \ \hat{E} \ \Omega \ 5 \ \acute{I} \ \hat{E} 5 \ \acute{S} \acute{I} \ \hat{\alpha} \ \acute{\alpha} \check{K} \check{y} \ \acute{Z} \ \acute{H} \ \int \ T \hat{S} \sim \ \mu \dot{\iota} + \acute{e} \ 1 \}) \ T \hat{M} \ \mu \} \ \hat{E} \ \int \ \check{Y} \ T \hat{M} \hat{E} \sqrt{\cdot} \ - \acute{e} \ \{ \acute{e} \ 1 (T \hat{M} \ 0 \ \dot{\iota} \cdot = T \hat{M} \ 8 \ M \ 8 \ M \ T \hat{M} \ \mu \} \ \hat{E} \ \int \ \check{Y} \ T \hat{M} \ \tilde{a} \ \tilde{N} \ HU \cdot = M \hat{E} \ M \ \mu(\ \diamond :: T \hat{M} \) \ 1 \ 9 = \cdot = M \hat{E} \ M \ T \hat{M} \ 8 \ \ddagger - \tilde{a} \ 8 \ \ddagger - \tilde{a} \acute{e} = \& \hat{M} \ \cdot \ ` \ \cup \ \mu(\ \diamond :: x \hat{E} \ 8 \ \frac{3}{4} \in T \hat{M} \ \acute{u} \ \acute{y} \ \acute{e} \ 8 \ \dagger \ 2 \acute{e} \ - \ \acute{H} - \ \acute{y} \ \cdot \ - \ \int) ::$

$0 : = \dot{\iota} \ S \ T \hat{M} \ \mu \} \ ' \ U \ \hat{\alpha} - \ \mu \cdot \ , \ ` \ U \dot{\iota} \ T \hat{M} \ \hat{E} \ x (\ T \ 8 \ \dagger \ 0 \ \acute{B} \acute{e} \ T \hat{M} \ U \ T \hat{M} \ T \hat{M} \ T \hat{M} \ \acute{A} \ T \hat{M} \ \uparrow \ K \ P \ T \hat{M} \ \acute{e} \ - \ \int \ ^ \cdot ::$

$0, \ 0, \ \dot{\div} \ T \hat{M} \ + \ \hat{\alpha} \acute{e}, \ \% \ 5 \ \check{g} \in \ ^{-} T \hat{M} \ M \ \hat{\alpha} \acute{e} \ \neg. \ N \emptyset \ \int \cdot \ \% \langle \ \% \ 5 \ \check{g} \check{y} \ 8 \ \dagger \ 0 \ \acute{B} \acute{e} \ \cdot \ X \ \hat{D} \ \mu(\ \diamond :: \int \ \hat{E} \ \acute{u} \ \acute{y} \ \acute{e} = U \ 1 \ T \hat{M} \ \sqrt{\cdot} \ 0, \ \check{g} \ \% \ \hat{\alpha} \ \hat{E} \ - = \sqrt{\parallel} \ 0, \ 8 \ \hat{H} \check{g} \ \check{T} \ 1 (T \hat{M} = \textcircled{R} \ \{ \acute{e} \ \acute{e} \ \in \ T \hat{M} \ T \hat{M} \ , \ \textcircled{R} \ \% \ \hat{\alpha} \ \hat{S} \ \int \ - \ \Omega \ T \hat{M} \ \cdot \ - \ \int \ - :: x \hat{E} = \neg T \hat{M} \acute{e} \ \mu \cdot \acute{e} \ \ddagger \ \dagger \ \check{s} = ::$

$\Omega \ \cdot \ \hat{M} \ T \hat{M} \} \ U \dot{\iota} \acute{e} \ \Omega + \Omega ?$

- $\mu x \} \ S \hat{E} \partial \ \sum \{ \ \dot{\iota} \ \} ; \ \cdot \ T \hat{M} \ S = \textcircled{R} \ T \hat{M} \ 0 \ T \sim$
- $1.5 \ 8 \acute{e} \ M \dot{\iota} \} \ \dot{\iota} - \int \ P \} \ M \ 0 \ \acute{e}$
- $T \hat{M} \ \dot{\iota} \ \mu \cdot \acute{e} \ \hat{\alpha} \ T \hat{M} \ =$